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Design, Fabrication and Kinematic Analysis of KLANN Mechanism

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Abstract: Legged locomotion systems have been effective in numerous robotic missions; and such locomotion is especially useful for providing better mobility over irregular landscapes. Klann mechanism is one such legged locomotion linkage in research. In this project work firstly kinematic analysis is performed using complex algebraic method, which is easy to understand and for the scope of easy manipulation.

The use of complex numbers provides consideration of vectors apart from angles and displacements for the analytical expression of arbitrary motion of points in a plane. The present work represents the kinematic analysis (i.e. position, angular velocity and angular acceleration of every link) of a single leg of Klann mechanism using complex algebraic method. Further a 4 legged walking mechanism is fabricated using 3d printed technology.

Keywords: Klannmechanism, complex algebraic method, walking mechanism, 3d printing

I. INTRODUCTION

A. General

It is well known that animals can travel over rough terrain at speeds much greater than those possible with wheeled or tracked vehicles. Even a human being by "getting down on all fours" if necessary, can travel or climb over terrain which is impossible for a wheeled or tracked vehicle. Nature, apparently, has no use for the wheel. It is therefore of considerable interest to learn what machines for land locomotion can do if they are designed to imitate nature. With this idea in mind I started studying linkages and the comparative function of a set of linkages with certain degrees of freedom arrested. It turned out numerous implementations could be done so as to bring forth set of linkages so designed as to perform locomotion.

B. Mining Excavation System

Since the time of industrial revolution mining has been a crucial and financial base of any running industry. With growing need of manufactured products the requirement of raw material has escalated exponentially. Engineers have always tried to improvise and improve the utility of vehicles which help in transport of raw materials from the mining site to the industrial transportation unit. With growing technology many improvements have been made in such vehicles (trucks, tippers, etc). Some of those improvements include:

- 1) Conversion of tipper units from a single wheel drive (front/rear) to an all wheel drive system.
- 2) Improvement of the suspension system.
- 3) Implementation of differential in vehicles to prevent skidding.
- 4) Development of advanced and heavy duty tyres.

All these improvements did help improve transportation of raw materials and also increased the rate of transfer. With improvement and implementation of new technology the cost expenditure also increased and industries have had to setup roads (haul roads) for smoother movement of these wheel based vehicles.

C. Walking Mechanism

As mentioned above nature has always chosen legs as the best mode of locomotion so using linkages we tried to mimic nature and come up with certain walking mechanism which will suite all terrain. After reviewing certain mechanisms we came across two of them which proved to be more efficient.

- 1) **Klann Mechanism:** The Klann linkage was developed by Joe Klann in 1994. This mechanism is a planar mechanism designed in such a way that it mimics the walking of a crab and acts as a replacement for modern day wheels. The linkage consists of a fixed frame, a crank and 2 rockers all connected using pivot joints. The linkage provides many benefits over standard locomotive vehicles. Below is the pictorial representation of the Klann mechanism.

Figure 1 Schematic diagram of one leg

- 2) **Degrees of freedom**

$$F = 3(n-1) - 2j - h$$

Where n=number of links

J=number of binary joints

H=number of higher pairs

$$F = 3(6-1) - 2*7 - 0$$

$$F = 1$$

II. MODELLING OF KLANN MECHANISM

A complete assembly is shown in the fig 2. The designs of various parts are performed in solid works software and assembled. The motion to the driving links is given by a motor by transforming the power through gears. The parts of the links are manufactured using 3d printing and assembled together.

Figure 2 Assembly of walking mechanism

III. KINEMATIC ANALYSIS

Kinematic analysis is the process of measuring the kinematic quantities used to describe motion. In engineering, for instance, kinematic analysis may be used to find the range of movement for a given mechanism and working in reverse, using kinematic synthesis to design a mechanism for a desired range of motion. In addition, kinematics applies algebraic geometry to the study of the mechanical advantage of a mechanical system or mechanism. Complex algebraic method is chosen for doing kinematic analysis of this mechanism

149

The following are the 2D sketches of various parts of the klann mechanism drawn in solid works software:

- a) *Design of Top and Bottom Rockers:* There are two rockers in the design of Klann mechanism. They are present at the top and bottom left of the triangular frame respectively. These play a very important role in converting the rotary motion of the crank into walking motion of the leg. The top rocker is connected to the frame on one side and the leg on it's other side. The bottom rocker on the other side is connected to the frame on one side and the other side of the bottom rocker is connected to the connecting rod. The parts after extruding from basic 2d sketch by an amount of 4 mm look like the images shown below.

Figure 9 2D sketch of top rocker

Figure 10 2D sketch of bottom rocker

Figure 11 2D sketch of linkage frame

Figure 12 2D sketch of connecting rod

Figure 13 2D sketch of linkage connector

The dimensions are taken so as to accommodate the required links of the mechanism. Circular cut outs are left at every corner as well as at required other spaces for accommodating a fit of M3 bolt and nut. Thus 1 mm of allowance is given to the holes so as to allow the free movement of links without any obstruction. Thus the circular holes have a diameter of 4 mm as shown in figure.

After the completion of basic sketch the part is extruded by a distance of 4 mm. all the components are extruded by an amount of 4mm.

The following are some of the parts after performing extrude operation for obtaining a 3D model:

Figure 14 3D part of linkage frame

Figure 15 3D part of leg

Figure 16 3D part of top rocker

C. Assembly Of The Parts Of Klann Mechanism

Assembly is a difficult and crucial task in designing of any mechanism or machine which includes numerous parts. The Klann mechanism consists of 6 links for a single leg including the fixed frame. For the considered design there are 4 legs connected to two linkage frames. The assembly is very complex because at first all the individual links of a single leg are to be assembled perfectly and further 4 such legs are to be assembled to linkage frames. The linkage frames are then supported by the platform. Further the centre spur gear and cranks have to perfectly align with each other. Amidst all this complexity involved, the design assembly of the Klann mechanism is done by using the assembly of parts function available in Solidworks.

The final assembly of the walking mechanism using Klann linkage is as shown below.

Figure 17 A complete 3D assembly

V. KINEMATIC ANALYSIS OF KLANN MECHANISM

The method used for performing kinematic analysis is complex algebraic method.

A. Kinematic Analysis Of First Loop

1) Displacement Analysis

Figure 18 Loop 1

The vector loop $R_1 + R_2 + R_3 + R_4 = 0$

$$ae^{i\theta_1} + be^{i\theta_2} + ce^{i\theta_3} + de^{i\theta_4} = 0 \dots \dots \dots (4.1)$$

Separating the real and imaginary parts in eq (4.1), the real part is

$$a \cos \theta_1 + b \cos \theta_2 + c \cos \theta_3 + d \cos \theta_4 = 0 \dots \dots \dots (4.2)$$

The imaginary part is

$$a \sin \theta_1 + b \sin \theta_2 + c \sin \theta_3 + d \sin \theta_4 = 0 \dots \dots \dots (4.3)$$

$$k_1 = a \cos \theta_1 + b \cos \theta_2$$

$$k_2 = a \sin \theta_1 + b \sin \theta_2$$

$$k_1 + c \cos \theta_3 + d \cos \theta_4 = 0 \dots \dots \dots (4.4)$$

$$k_2 + c \sin \theta_3 + d \sin \theta_4 = 0 \dots \dots \dots (4.5)$$

Eliminating θ_4 From the above equations (4.4) & (4.5) we get

$$-d \cos \theta_4 = k_1 + c \cos \theta_3 \dots \dots \dots (4.6)$$

$$-d \sin \theta_4 = k_2 + c \sin \theta_3 \dots \dots \dots (4.7)$$

Squaring and adding the above equations (4.6) & (4.7)

$$d^2 = k_1^2 + k_2^2 + c^2 + 2c(k_1 \cos \theta_3 + k_2 \sin \theta_3)$$

$$k_1 \cos \theta_3 + k_2 \sin \theta_3 = \frac{d^2 - k_1^2 - k_2^2 - c^2}{2c}$$

$$k_3 = \frac{d^2 - k_1^2 - k_2^2 - c^2}{2c}$$

$$k_3 = k_1 \cos \theta_3 + k_2 \sin \theta_3 \dots \dots \dots (4.8)$$

$$\text{By substituting } \cos \theta_3 = \frac{1 - \tan^2\left(\frac{\theta_3}{2}\right)}{1 + \tan^2\left(\frac{\theta_3}{2}\right)},$$

$$\sin \theta_3 = \frac{2 \tan\left(\frac{\theta_3}{2}\right)}{1 + \tan^2\left(\frac{\theta_3}{2}\right)}$$

$$\text{We get, } A \tan^2\left(\frac{\theta_3}{2}\right) + B \tan\left(\frac{\theta_3}{2}\right) + C = 0 \dots \dots \dots (4.9)$$

$$A = -k_1 - k_3$$

$$B = 2k_2$$

$$C = k_1 - k_3$$

By solving the above quadratic equation (4.9), we get

$$\theta_3 = 2 \tan^{-1} \left(\frac{-B \pm \sqrt{B^2 - 4AC}}{2A} \right) \dots \dots \dots (4.10)$$

Similarly for θ_4 , we get

$$\theta_4 = 2 \tan^{-1} \left(\frac{-E \pm \sqrt{E^2 - 4DF}}{2D} \right) \dots \dots \dots (4.11)$$

2) Velocity Analysis

Differentiating position equation (4.1) of second loop to get the velocity expression

$$a\omega_1 e^{i\theta_1} + b\omega_2 e^{i\theta_2} + c\omega_3 e^{i\theta_3} + d\omega_4 e^{i\theta_4} = 0 \dots \dots \dots (4.12)$$

Separating the real and imaginary parts in eq (4.12), the real part is

$$a\omega_1 \cos \theta_1 + b\omega_2 \cos \theta_2 + c\omega_3 \cos \theta_3 + d\omega_4 \cos \theta_4 = 0 \dots \dots \dots (4.13)$$

The imaginary part

$$a\omega_1 \sin \theta_1 + b\omega_2 \sin \theta_2 + c\omega_3 \sin \theta_3 + d\omega_4 \sin \theta_4 = 0 \dots \dots \dots (4.14)$$

Multiplying eq (4.13) with $\sin \theta_4$ and eq (4.14) with $\cos \theta_4$ we get

$$a\omega_1 \sin \theta_4 \cos \theta_1 + b\omega_2 \sin \theta_4 \cos \theta_2 + c\omega_3 \sin \theta_4 \cos \theta_3 + d\omega_4 \sin \theta_4 \cos \theta_4 = 0 \dots \dots (4.15)$$

$$a\omega_1 \sin \theta_1 \cos \theta_4 + b\omega_2 \sin \theta_2 \cos \theta_4 + c\omega_3 \sin \theta_3 \cos \theta_4 + d\omega_4 \sin \theta_4 \cos \theta_4 = 0 \dots \dots (4.16)$$

Subtracting the above equations, we get

$$b\omega_2 (\sin \theta_2 \cos \theta_4 - \cos \theta_4 \sin \theta_2) + c\omega_3 (\sin \theta_3 \cos \theta_4 - \cos \theta_3 \sin \theta_4) = 0 \dots \dots \dots (4.17)$$

$$b\omega_2 \sin (\theta_4 - \theta_2) + c\omega_3 \sin (\theta_3 - \theta_4) = 0 \dots \dots \dots (4.18)$$

By solving above equation (4.18), we get

$$\omega_3 = \frac{b\omega_2 \sin (\theta_2 - \theta_4)}{c \sin (\theta_3 - \theta_4)} \dots \dots \dots (4.19)$$

Similarly for ω_4 ,

$$\omega_4 = \frac{b\omega_2 \sin (\theta_3 - \theta_2)}{d \sin (\theta_4 - \theta_3)} \dots \dots \dots (4.20)$$

3) Acceleration Analysis

Differentiating the angular velocity equation (4.12) of second loop

$$be^{i\theta_2} (i\alpha_2 - \omega_2^2) + ce^{i\theta_3} (i\alpha_3 - \omega_3^2) + de^{i\theta_4} (i\alpha_4 - \omega_4^2) = 0 \dots \dots \dots (4.21)$$

$$e^{i\theta_3} = \cos \theta_3 + i \sin \theta_3$$

$$e^{i\theta_4} = \cos \theta_4 + i \sin \theta_4$$

$$e^{i\theta_2} = \cos \theta_2 + i \sin \theta_2$$

Separating the real and imaginary parts of eq (4.21), we get real part

$$b\alpha_2 \sin \theta_2 + b\omega_2^2 \cos \theta_2 + c\alpha_3 \sin \theta_3 + c\omega_3^2 \cos \theta_3 + d\alpha_4 \sin \theta_4 + d\omega_4^2 \cos \theta_4 = 0$$

Imaginary part

$$b\alpha_2 \cos \theta_2 - b\omega_2^2 \sin \theta_2 + c\alpha_3 \cos \theta_3 - c\omega_3^2 \sin \theta_3 + d\alpha_4 \cos \theta_4 - d\omega_4^2 \sin \theta_4 = 0$$

$$Y_1 = -c\omega_3^2 \sin \theta_3 - d\omega_4^2 \sin \theta_4 + d\alpha_4 \cos \theta_4 - b\omega_2^2 \sin \theta_2 = 0$$

$$Y_1 + c\alpha_3 \cos \theta_3 + d\alpha_4 \cos \theta_4 = 0 \dots \dots \dots (4.22)$$

$$Y_2 = c\omega_3^2 \cos \theta_3 + b\alpha_2 \sin \theta_2 + b\omega_2^2 \cos \theta_2 + d\alpha_4 \sin \theta_4 + d\omega_4^2 \cos \theta_4 = 0$$

$$Y_2 + c\alpha_3 \sin \theta_3 + d\alpha_4 \sin \theta_4 = 0 \dots \dots \dots (4.23)$$

Multiplying the eq (4.22) with $\sin \theta_7$ and eq (4.23) with $\cos \theta_7$, we get

By solving the above equations we get

$$Y_1 \sin \theta_4 - Y_2 \cos \theta_4 = c\alpha_3 (\sin (\theta_3 - \theta_4)) \dots \dots \dots (4.24)$$

$$\alpha_3 = \frac{Y_2 \cos \theta_4 - Y_1 \sin \theta_4}{c \sin (\theta_4 - \theta_3)} \dots \dots \dots (4.25)$$

Similarly for α_4 ,

$$\alpha_4 = \frac{Y_2 \cos \theta_3 - Y_1 \sin \theta_3}{d \sin (\theta_3 - \theta_4)} \dots \dots \dots (4.26)$$

B. Kinematic Analysis Of Second Loop

1) Displacement Analysis

Figure 19 Loop 2

The vector loop $R_4 + R_5 + R_6 + R_7 + R_8 = 0$

$$\alpha = \cos^{-1}((i^2 + a^2 - e^2)/2ei)$$

$$\theta_4 = \alpha + 15$$

$$\gamma = \sin^{-1}((c \sin(\theta_3 - 180))/2ei)$$

$$de^{i\theta_4} + ie^{i\theta_5} + fe^{i\theta_6} + ge^{i\theta_7} + he^{i\theta_8} = 0 \dots \dots \dots (4.27)$$

Separating the real and imaginary parts ineq (4.27), the real part is

$$d \cos \theta_4 + i \cos \theta_5 + f \cos \theta_6 + g \cos \theta_7 + h \cos \theta_8 = 0 \dots \dots \dots (4.28)$$

The imaginary part is

$$d \sin \theta_4 + i \sin \theta_5 + f \sin \theta_6 + g \sin \theta_7 + h \sin \theta_8 = 0 \dots \dots \dots (4.29)$$

$$k_7 = d \cos \theta_4 + i \cos \theta_5 + h \cos \theta_7$$

$$k_8 = d \sin \theta_4 + i \sin \theta_5 + h \sin \theta_7$$

$$k_9 = \frac{f^2 - g^2 - k_7^2 - k_8^2}{2g}$$

$$G = k_9 + 1$$

$$H = 2$$

$$I = k_9 - 1$$

$$\text{We get, } G \tan^2\left(\frac{\theta_6}{2}\right) + H \tan^2\left(\frac{\theta_6}{2}\right) + I = 0 \dots \dots \dots (4.30)$$

By solving the above quadratic equation (4.9), we get

$$\theta_3 = 2 \tan^{-1} \left(\frac{-H \pm \sqrt{H^2 - 4GI}}{2G} \right) \dots \dots \dots (4.31)$$

Similarly for θ_4 , we get

$$\theta_4 = 2 \tan^{-1} \left(\frac{-K \pm \sqrt{K^2 - 4JL}}{2J} \right) \dots \dots \dots (4.32)$$

Where

$$k_{10} = \frac{g^2 - f^2 - k_7^2 - k_8^2}{2f}$$

$$J = k_{10} + 1$$

$$K = 2$$

$$L = k_{10} - 1$$

2) Velocity Analysis

Differentiating position equation (4.27) of second loop to get the velocity expression

$$d\omega_4 ie^{i\theta_4} + f\omega_5 ie^{i\theta_5} + g\omega_6 ie^{i\theta_6} + h\omega_7 ie^{i\theta_7} = 0 \dots \dots \dots (4.33)$$

Separating the real and imaginary parts ineq (4.33), the real part is

$$d\omega_4 \cos \theta_4 + f\omega_5 \cos \theta_5 + g\omega_6 \cos \theta_6 + h\omega_7 \cos \theta_7 = 0 \dots \dots \dots (4.34)$$

The imaginary part

$$d\omega_4 \sin \theta_4 + f\omega_5 \sin \theta_5 + g\omega_6 \sin \theta_6 + h\omega_7 \sin \theta_7 = 0 \dots \dots \dots (4.35)$$

Multiplying eq (4.34) with $\sin \theta_5$ and eq (4.35) with $\cos \theta_5$ and solving we get

$$d\omega_4 (\sin \theta_5 \cos \theta_4 - \cos \theta_5 \sin \theta_4) + g\omega_6 (\sin \theta_5 \cos \theta_6 - \cos \theta_6 \sin \theta_5) + h\omega_7 (\sin \theta_5 \cos \theta_7 - \cos \theta_7 \sin \theta_5) = 0 \dots \dots \dots (4.36)$$

$$d\omega_4 \sin (\theta_5 - \theta_4) + g\omega_6 \sin (\theta_5 - \theta_6) + h\omega_7 \sin (\theta_7 - \theta_3) = 0 \dots \dots \dots (4.37)$$

By solving above equation (4.37), we get

$$\omega_6 = \frac{d\omega_4 \sin (\theta_5 - \theta_4) + h\omega_7 \sin (\theta_5 - \theta_7)}{g \sin (\theta_6 - \theta_5)} \dots \dots \dots (4.38)$$

Similarly for ω_4 ,

$$\omega_5 = \frac{d\omega_4 \sin (\theta_6 - \theta_4) + h\omega_7 \sin (\theta_6 - \theta_7)}{f \sin (\theta_5 - \theta_6)} \dots \dots \dots (4.39)$$

3) Acceleration Analysis

Differentiating the angular velocity equation (4.33) of second loop

$$de^{i\theta_4} (i\alpha_4 - \omega_4^2) + fe^{i\theta_5} (i\alpha_5 - \omega_5^2) + ge^{i\theta_6} (i\alpha_6 - \omega_6^2) + he^{i\theta_7} (i\alpha_7 - \omega_7^2) = 0 \dots \dots \dots (4.40)$$

Separating the real and imaginary parts of eq (4.40), we get real part

$$d\alpha_4 \sin \theta_4 + d\omega_4^2 \cos \theta_4 + f\alpha_5 \sin \theta_5 + f\omega_5^2 \cos \theta_5 + g\alpha_6 \sin \theta_6 + g\omega_6^2 \cos \theta_6 + h\alpha_7 \sin \theta_7 + h\omega_7^2 \cos \theta_7 = 0$$

Imaginary part

$$d\alpha_4 \cos\theta_4 - d\omega_4^2 \sin\theta_4 + f\alpha_5 \cos\theta_5 - f\omega_5^2 \sin\theta_5 + g\alpha_6 \cos\theta_6 - g\omega_6^2 \sin\theta_6 + h\alpha_7 \cos\theta_7 - h\omega_7^2 \sin\theta_7 = 0$$

$$X_1 = d\alpha_4 \sin\theta_4 + d\omega_4^2 \cos\theta_4 + f\omega_5^2 \cos\theta_5 + g\omega_6^2 \cos\theta_6 + h\omega_7^2 \cos\theta_7 = 0$$

$$X_1 + f\alpha_5 \sin\theta_5 + g\alpha_6 \sin\theta_6 + h\alpha_7 \sin\theta_7 = 0 \dots\dots\dots (4.41)$$

$$X_2 = d\alpha_4 \cos\theta_4 - d\omega_4^2 \sin\theta_4 - f\omega_5^2 \sin\theta_5 - g\omega_6^2 \sin\theta_6 - h\omega_7^2 \sin\theta_7$$

$$X_2 + f\alpha_5 \cos\theta_5 + g\alpha_6 \cos\theta_6 + h\alpha_7 \cos\theta_7 = 0 \dots\dots\dots (4.42)$$

Multiplying the eq (4.41) with $\cos\theta_5$ and eq (4.42) with $\sin\theta_5$, we get

By solving the above equations we get

$$X_1 \cos\theta_5 - X_2 \sin\theta_5 = g\alpha_6 (\sin(\theta_6 - \theta_5)) + h\alpha_7 (\sin(\theta_7 - \theta_5)) \dots\dots\dots (4.43)$$

$$\alpha_6 = \frac{X_1 \cos\theta_5 - X_2 \sin\theta_5}{h\alpha_7 \sin(\theta_7 - \theta_5)} \dots\dots\dots (4.44)$$

Similarly for α_5 ,

$$\alpha_5 = \frac{X_1 \cos\theta_6 - X_2 \sin\theta_6}{h\alpha_7 \sin(\theta_7 - \theta_6)} \dots\dots\dots (4.45)$$

VI. FABRICATION

A. Fabrication of Walking Mechanism using 3D Printing

3d printing is one the major leading technological processes right now in the world. It is an additive manufacturing process which heats a material, melts it and thereby arranges the melt of the material over a flat platform so as to obtain any required object or shape with high accuracy and repeatability. The object which has to be printed has to be initially generated using a computer software and further coded into the 3d printing machine.

The applications of 3d printing are increasing day by day due to its simplicity in manufacturing complex parts or shapes. Klann mechanism as discussed in previous chapters consists of 6 links per leg including the frame. Out of these 6 links two links namely the leg and connecting rod are not straight links but consist a fixed included angle. This angle has a major role to play because any change in the angle varies the gait pattern and the path traced by that link leg. Thus in order to get 4 legs of similar shape and size with minimum error error possible, 3d printing is an apt manufacturing process.

The designed solidworks parts are initially saved in a common folder by varying the extension of the files. The extension of the parts are changed to “.stl”. the saved parts are then inserted into a pendrive and coded to the 3d-printing machine.

The parts obtained after the 3d-printing process are as follows:

- 1) Crank
- 2) Leg
- 3) Connecting rod
- 4) Top and bottom rockers
- 5) Linkage frame
- 6) Linkage connectors
- 7) Spacers
- 8) Centre spur gear
- 9) Base

Figure 20 Fabrication using 3D printing

FIGURE 20: Fabricated parts after 3D printing

VII. C CODE

A. C Code

```
#include<stdio.h>
#include<conio.h>
#include<math.h>
void main()
{
    Inta=50,c=50,d=30,e=50,i=70,j=70,g=70;
    float k,rad,deg,beta,k7,k8,k9,k10,thetakh,theta7,thetac;
    float
    k1,k2,k3,A,B,C,G,H,I,J,K,L,theta3,theta31,theta32,k4,k5,k6,D,E,F,theta4,theta41,theta42,theta51,theta52,theta5,theta61,theta62,theta6,thetaai,theta2,theta1;
    float
    theta4,theta41,theta42,theta51,theta52,theta5,theta61,theta62,theta6,thetaai,thetajh,theta3,theta31,theta32,sin24,sin54,sin56,sin57,sin64,sin65,sin67,sin34,sin32,sin43,omega1,omega2,omega3,omega4,omega5,omega6,omega7,X1,X2,Y1,Y2,alpha2,alpha3,alpha4,alpha5,alpha6,alpha7;
    rad=(4*atan(1))/180;
    deg=180/(4*atan(1));
    int b=20,f=40,h=40,theta1,theta2,o,m,n;
    k=sqrt(h*h+d*d-2*h*d*cos(165));
    theta1=15;
    for(o=0;o<36;o++)
    {
        theta2=o*10;
        k1=((a*cos(theta1))+(b*cos(theta2)));
        k2=((a*sin(theta1))+(b*sin(theta2)));
        k3=((d*d)-(k1*k1)-(k2*k2)-(c*c))/(2*c);
        A=-k1-k3;
        B=2*k2;
        C=k1-k3;
        theta31=2*atan((-B+sqrt((D*D)-(4*A*C)))/(2*A));
        theta32=2*atan((-B-sqrt((D*D)-(4*A*C)))/(2*A));
        if(theta31>0)
            theta3=theta31;
        else if(theta32>0)
            theta3=theta32;
        k4=((a*cos(theta1))+(b*cos(theta2)));
        k5=((a*sin(theta1))+(b*sin(theta2)));
        k6=((c*c)-(k4*k4)-(k5*k5)-(d*d))/(2*d);
        D=-k4-k5;
        E=2*k5;
        F=k4-k6;
        theta41=2*atan((-E+sqrt(E*E-(4*D*F)))/(2*D));
        theta42=2*atan((-E-sqrt(E*E-(4*D*F)))/(2*D));
        if(theta41>0)
            theta4=theta41;
        else if(theta42>0)
            theta4=theta42;
        thetaai=acos(((i*i)+(a*a)-(e*e))/(2*i*e));
        thetac=thetaai+15;
    }
```

```

beta=165;
thetakh=asin((c*sin(theta3-180))/h);
theta7=thetakh+180;
k7=((d*cos(theta4))+(i*cos(thetac))+(h*cos(theta7)));
k8=((d*sin(theta4))+(i*sin(thetac))+(h*sin(theta7)));
k9=((f*f-g*g-k7*k7-k8*k8)/(2*g));
G=k9+1;
H=2;
I=k9-1;
theta61=2*atan((-H+sqrt((H*H)-(4*G*I)))/(2*G));
theta62=2*atan((-H-sqrt((H*H)-(4*G*I)))/(2*G));
if(theta61>0)
theta6=theta61;
else if(theta62>0)
theta6=theta62;
k10=((g*g)-(f*f)-(k7*k7)-(k8*k8))/(2*f);
J=k10+1;
K=2;
L=k10-1;
theta51=2*atan((-K+sqrt((K*K)-(4*J*L)))/(2*J));
theta52=2*atan((-K-sqrt((K*K)-(4*J*L)))/(2*J));
if(theta51>0)
theta5=theta51;
else if(theta52>0)
theta5=theta52;
omega2=20;
sin24=((sin(theta2)*cos(theta4))-(cos(theta2)*sin(theta4)));
sin34=((sin(theta3)*cos(theta4))-(cos(theta3)*sin(theta4)));
omega3=((b*omega2*sin24)/(c*sin34));
sin32=((sin(theta3)*cos(theta2))-(cos(theta3)*sin(theta2)));
sin43=((sin(theta4)*cos(theta3))-(cos(theta4)*sin(theta3)));
omega4=(b*omega2*sin32)/(c*sin43);
thetadf=acos (((f*f)+(d*d)-(e*e))/(2*f*d));
thetac=thetadf+15;
beta=165;
thetajh=asin ((d*sin(beta))/j);
theta7=thetajh+180;
sin54=(sin(theta5)*cos(theta4))+(cos(theta5)*sin(theta4));
sin57=(sin(theta5)*cos(theta7))+(cos(theta5)*sin(theta7));
sin65=(sin(theta6)*cos(theta5))+(cos(theta6)*sin(theta5));
sin64=(sin(theta6)*cos(theta4))+(cos(theta6)*sin(theta4));
sin67=(sin(theta6)*cos(theta7))+(cos(theta6)*sin(theta7));
sin56=(sin(theta5)*cos(theta6))+(cos(theta5)*sin(theta6));
omega7=omega3;
omega6=((d*omega4*sin54)+(h*omega7*sin57))/(g*sin65);
omega5=((d*omega4*sin64+h*omega7*sin67))/(g*sin56);
Y2=((b*omega2*omega2*cos(theta2))+(b*alpha2*sin(theta2))+(c*omega3*omega3*cos(theta3))+(d*omega3*
omega3*cos(theta4)));
Y1=((b*alpha2*cos(theta2))-(b*omega2*omega2*sin(theta2))-(c*omega3*omega3*sin(theta3))-(d*omega4*omega4*sin(theta4)));
alpha3=((Y2*cos(theta4))-(Y1*sin(theta4)))/(c*sin43);

```

```

alpha4=((Y2*cos(theta3))-(Y1*sin(theta3)))/(d*sin34));
alpha7=alpha3;
alpha6=(X1*cos(theta5)-X2*sin(theta5))/(h*alpha7*sin(theta7-theta5));
alpha5=(X1*cos(theta6)-X2*sin(theta6))/(h*alpha7*sin(theta7-theta6));
    printf("%d\t",theta1);
    printf("%d\t",theta2);
    printf("%f\t",theta3);
    printf("%f\t",theta4);
    printf("%f\t",theta5);
    printf("%f\t",theta6);
    printf("%f\n\n",theta7);
    printf("%f\t",omega2);
    printf("%f\t",omega3);
    printf("%f\t",omega4);
    printf("%f\t",omega5);
    printf("%f\t",omega6);
    printf("%f\n\n",omega7);
    printf("%f\t",alpha2);
    printf("%f\t",alpha3);
    printf("%f\t",alpha4);
    printf("%f\t",alpha5);
    printf("%f\t",alpha6);
    printf("%f\n\n",alpha7);
}
}

```

VIII. RESULTS

Table 1 Angular PositionAnalysis

SL NO	CRANK ANGLE	Link3 (deg)	Link4 (deg)	Link5 (deg)	link6 (deg)	Link7 (deg)	Link8 (deg)
1	0	146.58	-101.12	-78.88	33.16	101.36	138.65
2	10	148.72	-98.72	-76.93	35.61	103.30	141.05
3	20	150.78	-95.90	-75.46	37.83	104.76	143.88
4	30	152.73	-92.71	-74.50	40.045	105.72	147.09
5	40	154.57	-89.16	-74.07	42.186	106.13	150.66
6	50	156.28	-85.31	-74.20	44.20	105.99	154.53
7	60	157.85	-81.20	-74.92	46.018	105.26	158.66
8	70	159.27	-76.88	-76.27	47.55	103.89	163.00
9	80	160.54	-72.42	-78.30	48.72	101.86	167.49
10	90	161.65	-67.88	-81.04	49.42	99.11	172.06

Table 2 Angular Velocity Analysis

SL NO	CRANK ANGLE	Link 3 (rad/s)	Link 4 (rad/s)	link 5 (rad/s)	Link 6 (rad/s)	Link 7 (rad/s)	Link 8 (rad/s)
1	0	6.525822	6.525822	6.525822	6.525822	6.525822	6.525822
2	10	6.310215	7.831239	5.132296	6.65332	5.117425	7.852798
3	20	6.026708	9.039326	3.657079	6.669697	3.629663	9.07983
4	30	5.692273	10.13911	2.102629	6.549462	2.06655	10.19423
5	40	5.3202	11.11857	0.466455	6.264823	0.426057	11.18353
6	50	4.919673	11.96486	-1.25948	5.785712	-1.30027	12.03552
7	60	4.49535	12.66379	-3.08864	5.079794	-3.12678	12.73717
8	70	4.046858	13.19849	-5.03884	4.1128	-5.07213	13.2729
9	80	3.568034	13.54713	-7.12927	2.849825	-7.15619	13.62204
10	90	3.045643	13.67923	-9.37485	1.258737	-9.39418	13.75507

Table 3 Angular Acceleration Analysis

SL.NO	CRANK ANGLE	link3 (rad/s ²)	link4 (rad/s ²)	link5 (rad/s ²)	link6 (rad/s ²)	link7 (rad/s ²)	link8 (rad/s ²)
1	0	-30.10	232.18	-232.18	30.10	-234.81	235.97
2	10	-43.43	216.31	-246.68	13.06	-249.09	219.86
3	20	-53.54	198.67	-260.38	-8.16	-262.23	201.59
4	30	-61.04	179.05	-274.06	-33.96	-275.17	181.15
5	40	-66.60	157.29	-288.64	-64.74	-289.02	158.60
6	50	-70.95	133.23	-305.08	-100.88	-304.85	133.92
7	60	-74.92	106.56	-324.25	-142.77	-323.59	106.84
8	70	-79.42	76.64	-346.73	-190.66	-345.75	76.74
9	80	-85.55	42.35	-372.36	-244.45	-371.15	42.45
10	90	-94.66	1.80	-399.65	-303.18	-398.25	2.05

Figure 21 Assembly of fabricated parts

IX. CONCLUSIONS

- A. In this project design, kinematic and fabrication using 3d printing technology is performed.
- B. Equations are derived for position, angular velocity and angular acceleration of every link of Klann linkage using complex algebraic method.
- C. a c-code is written for the calculations obtained using complex algebraic method.
- D. A 4 legged model of walking mechanism whose legs are based on Klann mechanism is designed using solid works.
- E. The different parts of the walking mechanism are 3d printed using PLA material for the selected dimensions.

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